

# **Water Measurement**

# Units

- Volume
  - Quantity of water; Water “at rest”
  - Gallon, cubic foot, etc.
  - $V = A d$  (units: acre-inch, acre-foot, hectare-meter etc.)
- Depth
  - Rainfall measured as depth; Useful for irrigation applications as well
  - Inch, foot, millimeter, centimeter, etc.
  - $D = V / A$  (units: usually inches or millimeters)
- Flow
  - Volume of water per unit time; Water “in motion”
  - Gallons per minute, cubic feet per second, acre-inches per day, liters per second, cubic meters per second etc.
  - $Q = V / t$  (units must be consistent)

Table 3.1. Conversion factors used in water measurement.

English System	Metric System
<b>Volume Units</b>	
1 gallon = 8.33 pounds	1 cubic foot = 0.02832 cubic meters
1 cubic foot = 7.48 gallons	1 liter = 0.264 gallons
1 acre-inch = 3,630 cubic feet	1 gallon = 3.79 liters
1 acre-inch = 27,154 gallons	1 cubic meter = 264.2 gallons
1 acre-foot = 43,560 cubic feet	1 cm <sup>3</sup> = 1mL
1 acre-foot = 325,851 gallons	
<b>Flow Units</b>	
1 cfs = 449 gpm (450 for practical purposes)	1 cfs = 0.02832 cms
1 cfs = 1 acre-inch/hr	1 cms = 35.31 cfs
452 gpm (450 for practical purposes) = 1 acre-inch/hr	1 gpm = 0.06309 L/s
1 gpm = 0.00223 cfs	1 L/s = 15.85 gpm
1 gpm = 0.00221 acre-inches/h	1 gal/h = 63.1 mL/s
<b>Length Units</b>	
1 mile = 5280 feet	1 foot = 0.3048 meters
1 rod = 16.5 feet	1 meter = 3.281 feet
<b>Area Units</b>	
1 acre = 43,560 square feet	1 acre = 0.4047 hectare
	1 hectare (ha) = 2.471 acres
cfs = cubic feet per second	gpm = gallons per minute
cms = cubic meters per second	L/s = liters per second

- Volume balance ( $Qt=Ad$ )
  - $V = Q t$  and  $V = A d$ , so  $Q t = A d$
  - (Flow rate) x (time) = (area) x (depth)
  - Knowing any of the three factors, you can solve for the fourth
  - Units must be consistent (conversion constant,  $k_v$ , to balance units:  $Qt=k_vAd$ )

## English Units Conversion for Irrigation Flows

Values of conversion constant,  $k_v$ , based on combinations of units.

<b>Q, Flow Rate Units</b>	<b>t, Time Units</b>	<b>A, Units for Area</b>			
		Acres		Square Feet	
		<b>d, Depth Units</b>		<b>d, Depth Units</b>	
		inches	feet	inches	feet
gallons/minute (gpm)	minutes	27,150	325,830	0.62	7.48
	hours	453	5,430	0.0104	0.125
	days	18.9	226	0.000433	0.00519
cubic feet/second (ft <sup>3</sup> /sec) (cfs)	minutes	60.5	726	0.00139	0.0167
	hours	1.01	12.1	0.0000231	0.000278
	days	0.042	0.50	0.000000965	0.0000116

# Flow Measurement

- “Good water management begins with water measurement”
- Basic principle
  - $Q = V_m A_f$
  - $Q$  = flow rate in a pipeline or channel
  - $V_m$  = mean or average velocity of flow in the pipeline or channel
  - $A_f$  = cross-sectional area of flow
- Velocity is not constant throughout the cross-section

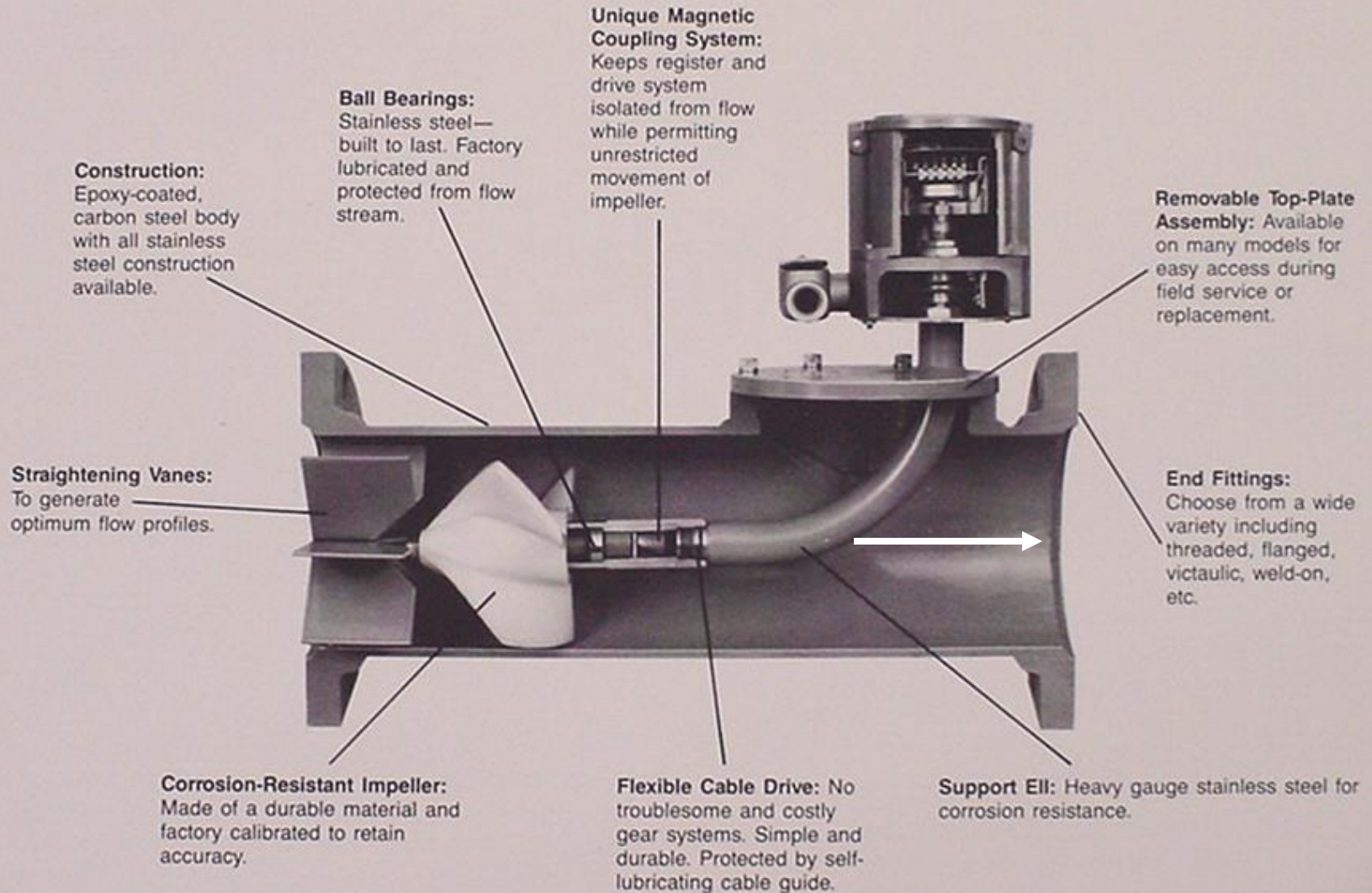


# Flow Measurement in Pipelines

- Mechanical meters
- Propeller senses velocity; Converted to flow rate via gear ratios
  - Straight section of pipe is best (avoid turbulence);  
Pipe must be full
- Pressure differential methods
  - Difference in pressure is directly related to velocity (fundamental energy relationship in hydraulics)
  - Pitot tubes, Venturi meters, orifice methods
- Ultrasonic methods
  - Non-intrusive (transducers clamped on the outside of the pipe)

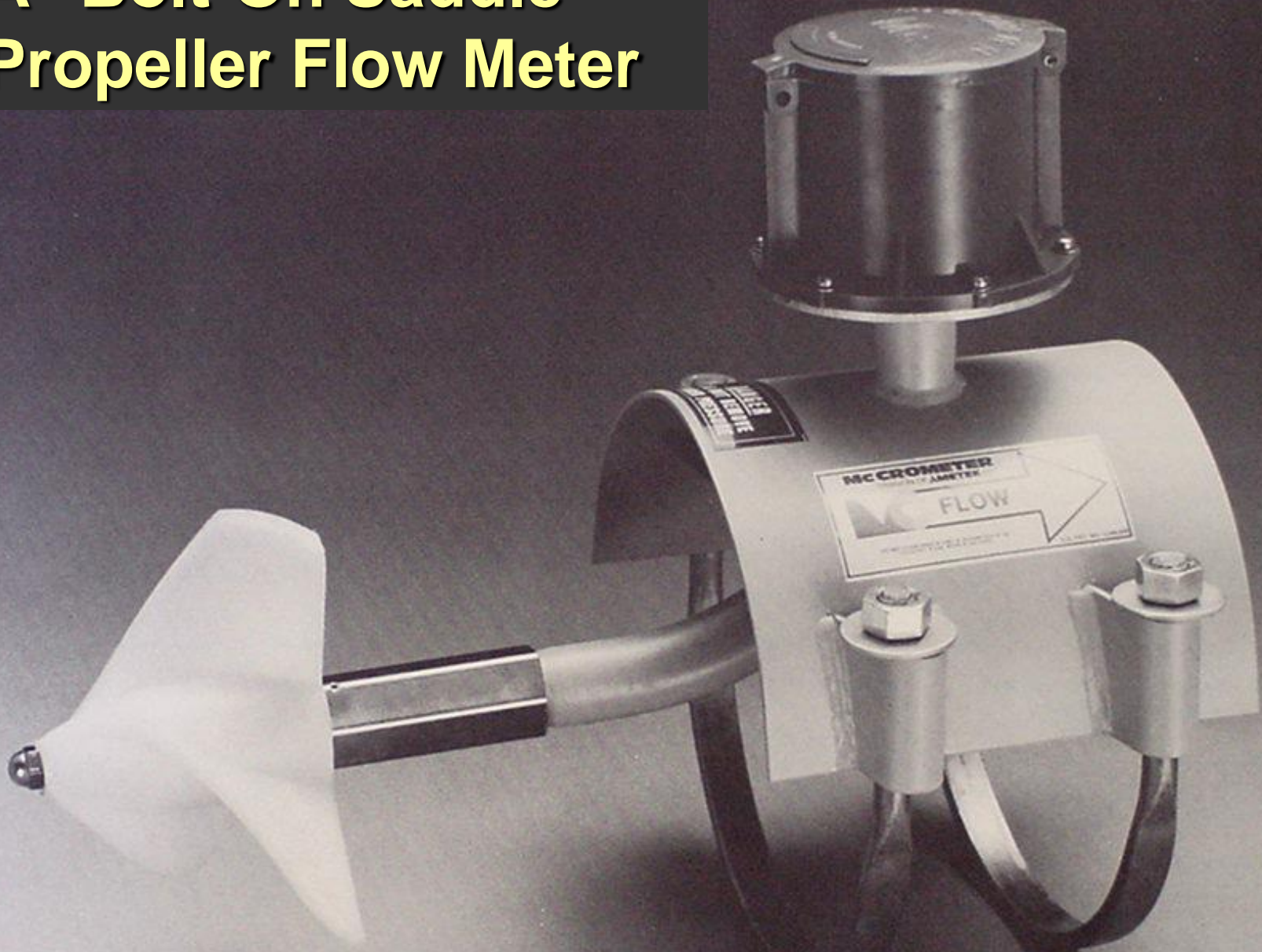
# Typical Propeller Flow Meter

## With Built-In Features





# A "Bolt-On Saddle" Propeller Flow Meter





# Options for Propeller Meter Read-Outs

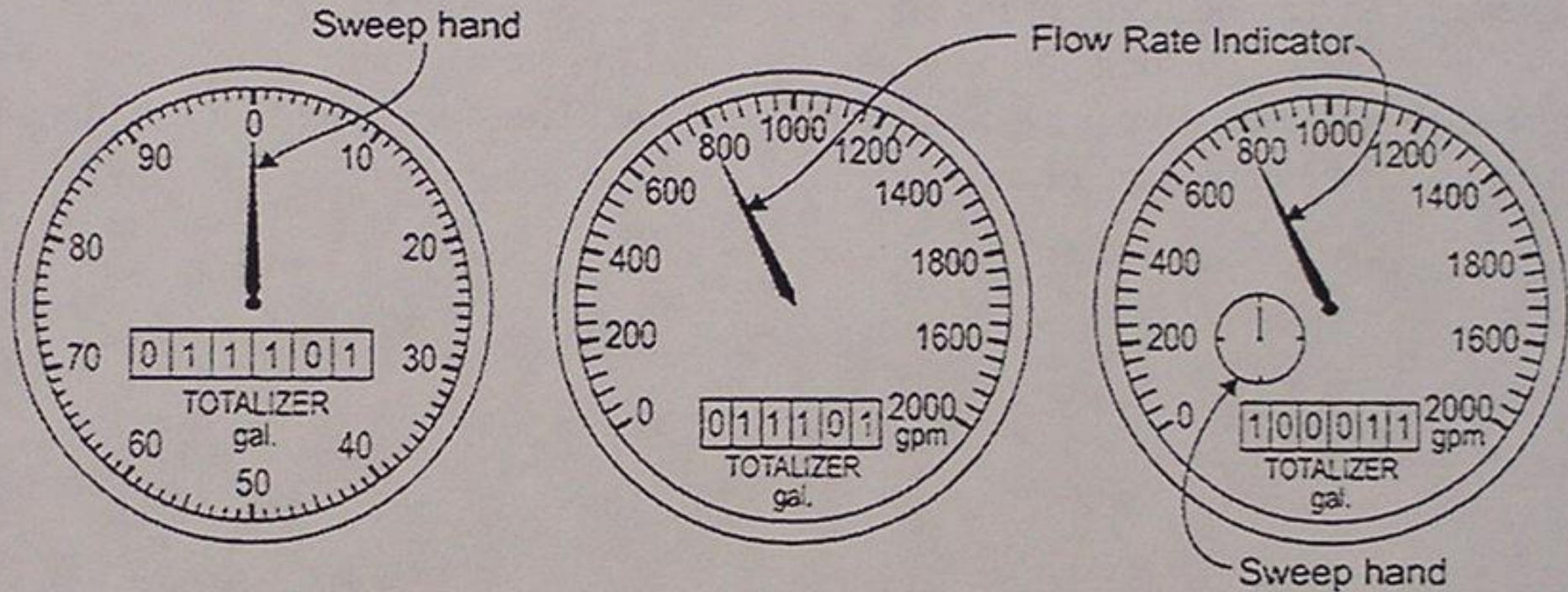


Figure 3.5. Options available for registers on a propeller meter.



# Open Channels

- Different from pipe flow because water surface is at atmospheric pressure
- Velocity methods ( $Q = V_m A_f$ )
  - Current meter (measure velocity at a number of points in the cross-section using a calibrated meter)
  - Float method ( $V_m = K_f V_s$  where  $V_s$  is surface velocity measured with a float, and  $K_f$  is a velocity correction factor ranging from 0.65 to 0.8)

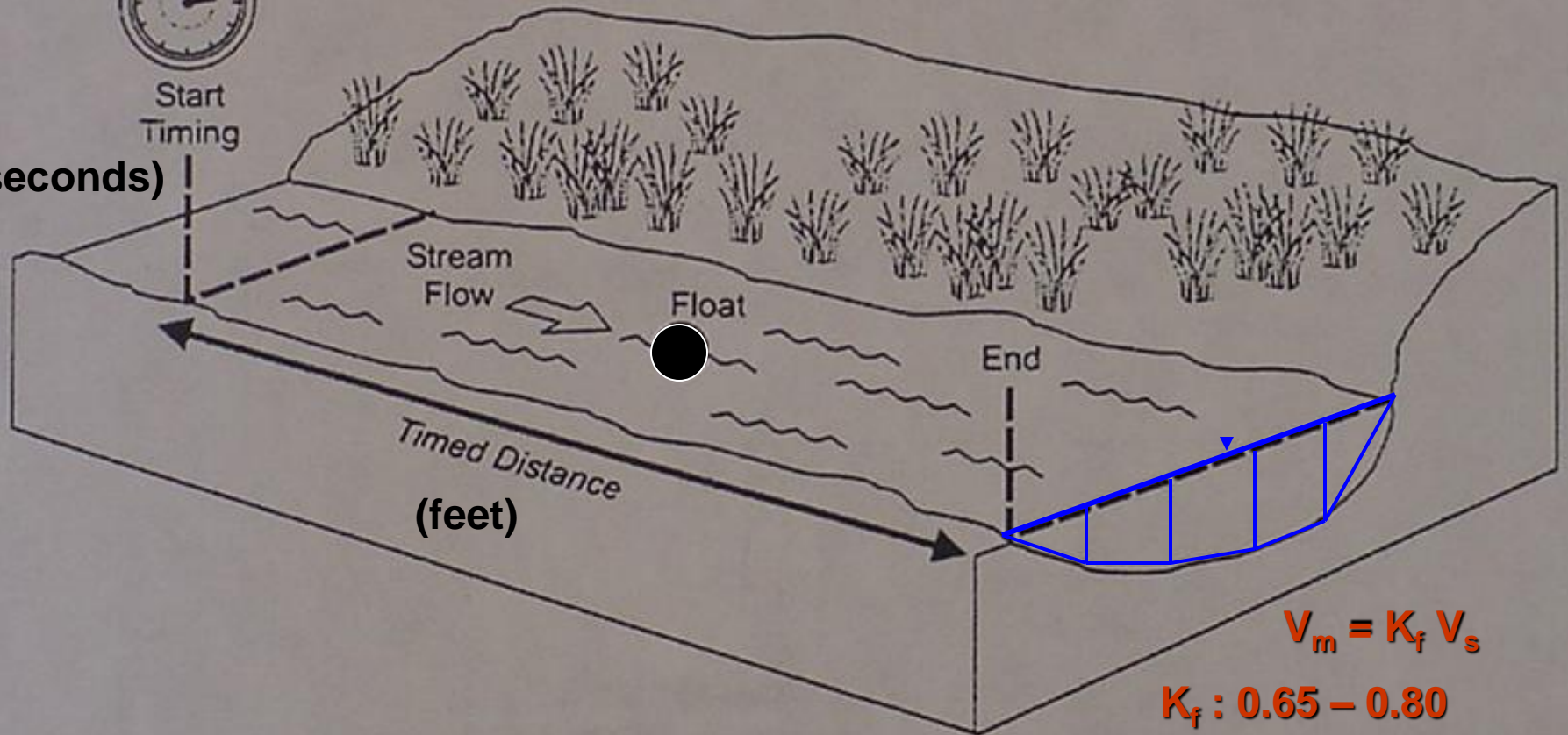


# Estimating Surface Velocity, $V_s$ , of a Straight Stream with a Float and Stopwatch



Start  
Timing

(seconds)



Stream  
Flow

Float

End

Timed Distance  
(feet)

$$V_m = K_f V_s$$

$$K_f : 0.65 - 0.80$$

$$K_f = 0.65 \text{ (if } d \leq 1 \text{ ft)}$$

$$K_f = 0.80 \text{ (if } d > 20 \text{ ft)}$$

$$\frac{\text{Distance, (feet)}}{\text{Time, (seconds)}} = \text{Velocity, (feet/second)}$$



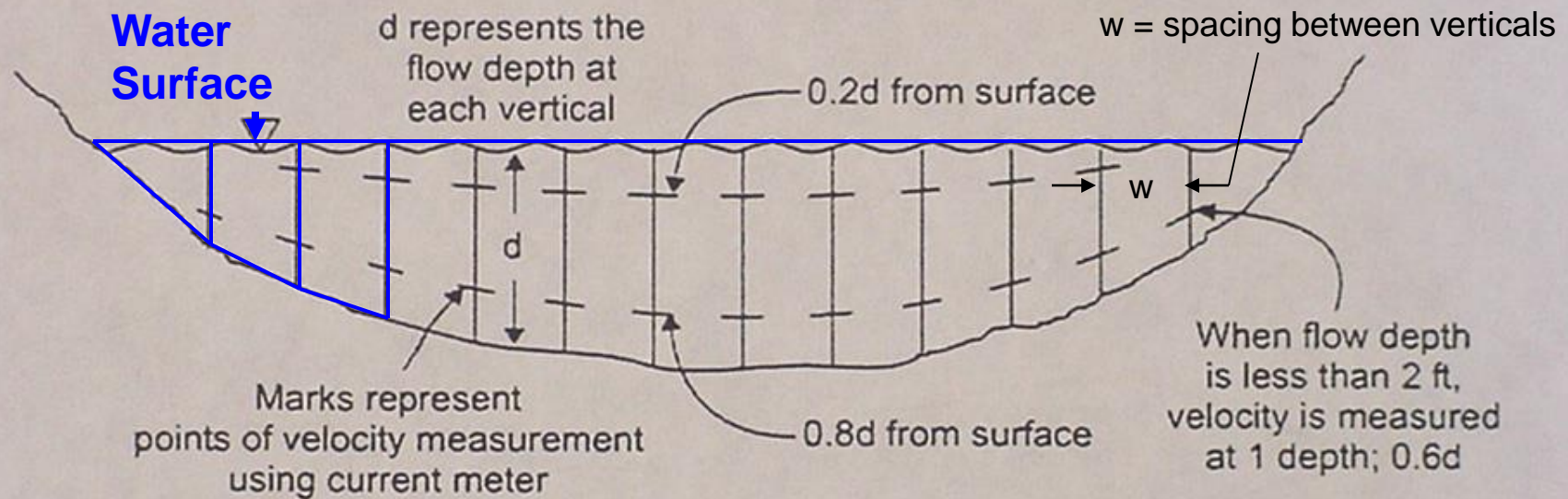
# Estimating the Cross-Sectional Area of Flow, $A_f$

Dividing the Streambed into Triangles, Rectangles and Trapezoids

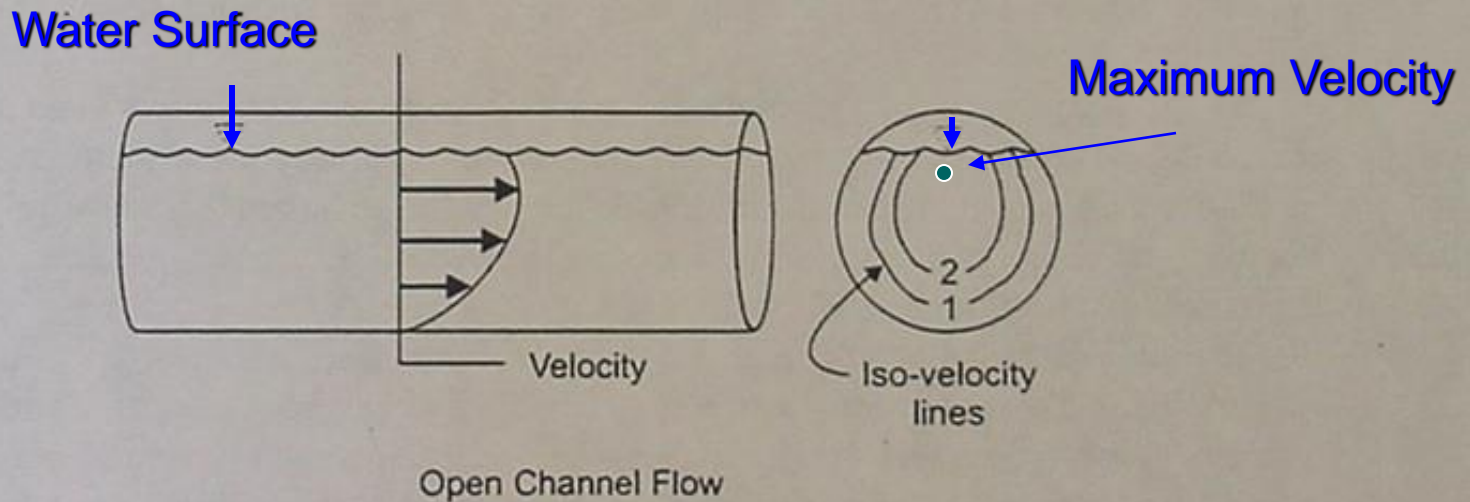
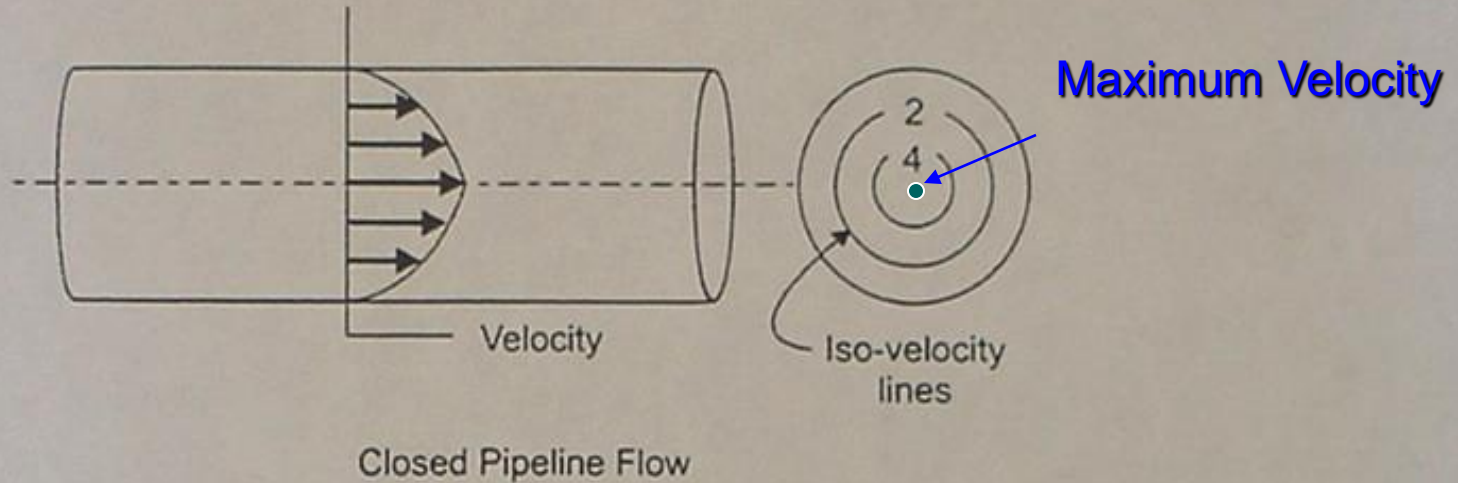
Rectangle Area  $A_r = d w$

Trapezoid Area,  $A_{tz} = \frac{1}{2} (d_i + d_{i+1}) w$

Triangle Area,  $A_{tr} = \frac{1}{2} d w$



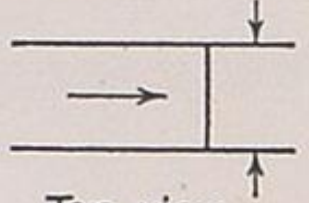
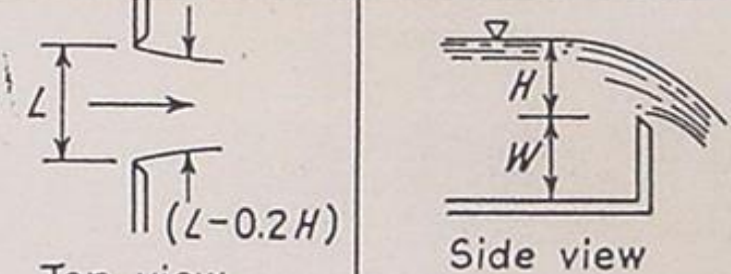
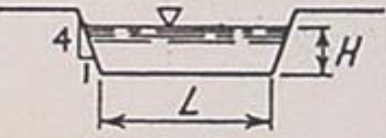

# Velocity Profiles



# Open Channels Contd...

- Pressure differential methods
  - Contract the flow through a metering section, and measure the depth of water upstream of the metering section
  - Use a calibrated depth-flow relationship
  - Weirs -- rectangular, trapezoidal, triangular
  - Flumes -- many types
  - Submerged orifices

# Weir Shapes and Formulas

Measuring Device (all sharp crested)	Views (H and L are in ft; Q is in ft <sup>3</sup> /sec)	Formula
Rectangular Weir (without contraction)	 <p>Top view</p>	$Q = 3.33 LH^{3/2}$
Rectangular Weir (with contraction)	 <p>Top view</p> <p>Side view</p>	$Q = 3.33(L - 0.2H)H^{3/2}$
Trapezoidal Weir	 <p>End view</p>	$Q = 3.37 LH^{3/2}$
90° Triangular Weir	 <p>End view</p>	$Q = 2.49 H^{5/2}$